Simultaneous Localization and Mapping using Multipath Channel Information

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Abstract—Location awareness is one of the most important requirements for many future wireless applications. Multipath-assisted indoor navigation and tracking (MINT) is a possible concept to enable robust and accurate localization of an agent in indoor environments. Using a-priori knowledge of a floor plan of the environment and the position of the physical anchors, specular multipath components can be exploited, based on a geometric-stochastic channel model. So-called virtual anchors (VAs), which are mirror images of the physical anchors, are used as additional anchors for positioning. The quality of this additional information depends on the accuracy of the corresponding floor plan.

In this paper, we propose a new simultaneous localization and mapping (SLAM) approach that allows to learn the floor plan representation and to deal with inaccurate information. A key feature is an online estimated channel characterization that enables an efficient combination of the measurements. Starting with just the known anchor positions, the proposed method includes the VA positions also in the state space and is thus able to adapt the VA positions during tracking of the agent. Furthermore, the method is able to discover new potential VAs in a feature-based manner. This paper presents a proof of concept using measurement data. The excellent agent tracking performance—90% of the error lower than 5 cm—achieved with a known floor plan can be reproduced with SLAM.

I. INTRODUCTION

Simultaneous localization and mapping (SLAM) [1], [2] is all about using uncertain data that are obtained by an agent in some uncertain environment. The uncertainty presents itself on different levels: The measurement data may come from different sensors, giving rise to different measurement variances. When these data are processed by an algorithm, the algorithm needs to take into account this heterogeneity by (i) associating all measurements to their respective origin and (ii) weighting the measurements according to their respective (possibly a-priori unknown) uncertainty.

In classical SLAM implementations, much of the measurement origin uncertainty1 is alleviated by using sensors that allow for a resolution of the measurement origin. In the popular example of laser scanners, distance estimates to features are obtained that are labelled with a corresponding angle w.r.t. the pose of the agent. To keep requirements on the agent simple, only single antenna terminals are used in the approach presented here. Hence, only a single signal per anchor (nodes at known positions in the environment) is available per time step. Using an online estimated channel characterization, measurements from past estimated agent positions are fused efficiently, giving rise to channel information assisted SLAM.

The required spatially consistent information about the environment is embedded in the multipath components (MPCs), i.e. the reflections of the signal occurring in the environment [4]. In our prior work [4]–[7], knowledge of the floor plan was assumed to make use of MPCs for localization. In SLAM, however, the floor plan is also subject to the estimation problem. Hence, the aims of this work are (i) to remove the requirement of a precisely a-priori known floor plan and (ii) to cope with uncertainties in the environment representation.

The floor plan is represented by virtual anchors (VAs), i.e. mirror images of the positions of the physically existing anchors in the environment [8]. These VAs allow for an efficient representation of the localization-relevant geometry [7].

1As opposed to the inaccuracy of the measurements themselves [3].
1 illustrates the concept of VAs. For the resulting localization approach, the term **multipath-assisted indoor navigation and tracking (MINT)** has been coined. Probabilistic MINT flavor is added to the SLAM problem by starting the tracking with just the anchor locations in the environment representation. The MPCs estimated from the received signals of the moving agent over time deliver the spatially consistent geometric data for tracking and for the update of the floor plan. All other—not geometrically modelled—propagation effects included in the signals constitute interference to the useful position-related information and are called diffuse multipath (DM) [9]. An online estimation of the influence of the DM on the range uncertainties enables the evaluation of the reliability of the observed features.

The second term denotes the convolution of the transmitted signal \( s(t) \) with the DM \( \nu_n^{(j)}(t) \), which is modeled as a zero-mean Gaussian random process. Note that the statistic of \( (s * \nu_n^{(j)})(t) \) is non-stationary in the delay domain and colored due to the spectrum of \( s(t) \). For DM \( \nu_n^{(j)}(t) \) we assume uncorrelated scattering along the delay axis \( \tau \), hence the auto-correlation function (ACF) is given by \( K_n^{(j)}(\tau, u) = E_n \{ [\nu_n^{(j)}(\tau) - \nu_n^{(j)}(0)]^2 \} = S_{\nu_n^{(j)}}(\tau) \delta(\tau - u) \), where \( S_{\nu_n^{(j)}}(\tau) \) is the power delay profile (PDP) of DM at the agent position \( p_n \). The DM process is assumed to be quasi-stationary in the spatial domain, which means that \( S_{\nu_n^{(j)}}(\tau) \) does not change in the vicinity of position \( p_n \) [12]. Finally, the last term \( w(t) \) denotes an additive white Gaussian noise (AWGN) process with double-sided power spectral density (PSD) of \( N_0/2 \).

Using these channel model parameters, the signal-to-interference-plus-noise ratio (SINR) [5], [6] is defined as

\[
\text{SINR}_{k,n}^{(j)} = \frac{|\hat{\alpha}_{k,n}^{(j)}|^2}{N_0 + T_p S_{\nu_n^{(j)}}(\hat{\tau}_{k,n}^{(j)})}.
\]

The SINR is used to quantify the position-related information of the \( k \)-th MPC. From this, the measurement variance of the estimated delay \( \hat{\tau}_{k,n}^{(j)} \) can be computed (see Section III-C).

### B. Channel Estimation

The MPC arrival time estimation at agent position \( p_n \) is realized as an iterative least-squares approximation of the received signal [6]

\[
\hat{t}_{k,n}^{(j)} = \arg\min_{\tau} \int_0^T \left[ \hat{r}_{k,n}^{(j)}(t) - \hat{r}_{n,k-1}^{(j)}(t) - \hat{\alpha}(\tau) s(t - \tau) \right]^2 dt
\]

using a template signal for all MPCs up to the \( (k - 1) \)-th defined as \( \hat{r}_{n,k-1}^{(j)}(t) = \sum_{k'=1}^{k-1} \hat{\alpha}_{k',n}^{(j)} s(t - \hat{\tau}_{k',n}^{(j)}) \). The path amplitudes are nuisance parameters, estimated using a projection of \( \hat{r}_{k,n}^{(j)}(t) \) onto a unit energy pulse \( s(t) \) as

\[
\hat{\alpha}(\tau) = \int_0^T \hat{r}_{n,k,n}^{(j)}(t)^* s(t - \tau) dt; \quad \hat{\alpha}_{k,n}^{(j)} = \hat{\alpha}(\hat{\tau}_{k,n}^{(j)}).
\]

The number of estimated MPCs \( K_n^{(j)} \) should be chosen according to the number of expected specular paths in an environment. With the assumptions of separable MPCs and white noise, (3) and (4) correspond to a maximum-likelihood (ML) estimation of the deterministic MPCs. The finite set of measured delays is written as \( Z_n = \bigcup_j Z_n^{(j)} = \bigcup_j \{ \hat{\tau}_{k,n}^{(j)} \} \).

### C. General SLAM Formulation

The presented work focuses on probabilistic feature-based SLAM with VAs of the according anchors as representative features of a floor plan. As stated, the VAs at position \( p_k^{(j)} \) are the mirror images of the anchors at position \( p_n^{(j)} \) at position \( p_n \) [6]. We assume the energy of \( s(t) \) is normalized to one.

2We note that the floor plan itself is not directly estimated, but its representation using the VAs. The reconstruction of the floor plan from this information is out of the scope of this paper.

3Two-dimensional position coordinates are used throughout the paper, for the sake of simplicity. The extension to three dimensional coordinates is straightforward.
flat surfaces, i.e. walls, of the surrounding environment and thus they are a parametric representation of the environment. Starting with the positions of the anchors $p^{(j)}_k$ and optionally a small set of precomputed VAs (using optical ray-tracing [6]), channel information assisted SLAM comprises a method to find new VAs and also to estimate an according reliability measure, the SINR$_{k,n}^{(j)}$ described in Equation (2), for those features.

Bayesian feature-based SLAM allows to compute the joint posterior $p(x_n, A_n | r_{1:n})$ of the state vector of the agent $x_n = [p_n, v_n]^T$, where $p_n$ is the position and $v_n$ the velocity of the agent, respectively, and $A_n = \bigcup_j A_n^{(j)}$, which represents the finite set of all VA positions at time instance $n$ that are associated with measured delays (see Section III-A).

As a consequence of using just one antenna at the anchor- and the agent-side, and the partial observability of the VAs, delayed mapping [13] has to be applied, which means that the set of past measurements $Z_{1:n}$ and the according estimated states of the agent $x_{1:n}$ are needed to initialize new possible VAs.

In the most generic form, the prediction equation for a feature map and an agent state, using the Markovian assumption, can be written as

$$ p(x_n, A_n | Z_{1:n-1}) = \sum_{x_{n-1},A_{n-1}} p(x_{n-1}, A_{n-1} | Z_{1:n-1}) \times p(x_n| x_{n-1}, A_{n-1}) p(A_n | A_{n-1}) d\{x_{n-1}, A_{n-1}\} 
$$

where $p(x_n| x_{n-1})$ and $p(A_n | A_{n-1})$ are the state transition probability distribution functions of the agent and the VAs, respectively. The latter one is represented by an identity function. The update equation is then

$$ p(x_n, A_n | Z_{1:n}) = \frac{p(Z_n|x_n, A_n) p(x_n, A_n | Z_{1:n-1})}{p(Z_{1:n} | Z_{1:n-1})} 
$$

where $p(Z_n|x_n, A_n)$ represents the general likelihood function of the current measurements. The state space and measurement model that are used in the presented approach are described in Section III-B.

III. SLAM APPROACH

The general approach for tracking the agent position and for discovering new VAs is depicted in Fig. 2. This section explains the different parts.

A. Data Association

The set of expected MPC delays $D_n^{(j)}$ at time step $n$ is computed as the distances of each VA in $A_n^{(j)}$ to the predicted position

$$ D_n^{(j)} = \{d(p^{(j)}_{n,k}, p_n) : p^{(j)}_{n,k} \in A_n^{(j)}\}. \tag{7} $$

As $D_n^{(j)}$ and the set of measured delays $Z_n^{(j)}$ are sets of usually different cardinalities, i.e. $|Z_n^{(j)}| = \hat{K}^{(j)}_n \neq |D_n^{(j)}| = K_n$, no conventional distance measure is defined and therefore there is no straightforward way of an association. We employ a well-known multi-target miss-distance, the optimal sub-pattern assignment (OSPA) metric [14]. For $\hat{K}^{(j)}_n = K^{(j)}_n$, which can be ensured by filling up $Z_n^{(j)}$ with dummy clutter, it is defined as

$$ d_{\text{OSPA}}(D_n^{(j)}, Z_n^{(j)}) = \left[ \frac{1}{K^{(j)}_n} \sum_{\pi \in \Pi_N} \min_{i=1}^{K^{(j)}_n} \left[ d^{(i)}(d_{\pi,n}^{(j)}, \hat{d}_{\pi,n}^{(j)}) \right]^p + d^c \left( K^{(j)}_n - \hat{K}^{(j)}_n \right) \right]^{\frac{1}{p}}, \tag{8} $$

where $\Pi_N$ is defined as the set of permutations of positive integers up to $N$. The function $d^{(i)}(x, y) = \min\{d_c, d(x, y)\}$, i.e. an arbitrary distance metric $d(\cdot)$ that is cut off at a $d_c > 0$, the so-called cut-off distance, which is a design parameter. The metric order is denoted as $p$. The first sum in the metric is the cumulative distance over the optimal sub-pattern assignment of $Z_n^{(j)}$ to $D_n^{(j)}$, i.e. where $K^{(j)}_n$ entries of $Z_n^{(j)}$ are optimally assigned to the entries of $D_n^{(j)}$. The Hungarian or Munkres algorithm can be used for this assignment [14], [15]. For the remaining $\hat{K}^{(j)}_n - K^{(j)}_n$ entries of $Z_n^{(j)}$, $d_c$ is assigned as penalty distance.

For performing the data association (DA), we introduce a set $C_i^{(j)}$ of correspondence variables [16], whose $i$-th entry $c_{n,i}^{(j)}$ is defined as

$$ c_{n,i}^{(j)} = \begin{cases} k, & \text{if } \hat{d}_{n,i}^{(j)} \text{ corresponds to VA } p_k^{(j)} \\ 0, & \text{if } \hat{d}_{n,i}^{(j)} \text{ corresponds to clutter.} \end{cases} \tag{9} $$

The optimal sub-pattern assignment between $D_n$ and $Z_n$ is reflected by the first part of (8)

$$ \pi_{opt} = \arg \min_{\pi \in \Pi_N} \sum_{i=1}^{K^{(j)}_n} d^{(i)}(d_{\pi,n}^{(j)}, \hat{d}_{\pi,n}^{(j)})^p. \tag{10} $$

With this, the correspondence variables are set as

$$ c_{n,i}^{(j)} = \begin{cases} k, & \text{if } [\pi_{opt}]_k = i \text{ and } d^{(i)}(p_{n,k}^{(j)}, \hat{d}_{n,i}^{(j)}) < d_c \\ 0, & \text{else,} \end{cases} \tag{11} $$

where $[\pi_{opt}]_k$ denotes the $k$-th entry of the optimal sub-pattern assignment. After the DA was applied for all anchors, the following union sets are defined:

- The set of associated discovered (and optionally a-priori known) VAs $A_{n,\text{ass}} = \bigcup_j A_n^{(j)}$.
- The according set of associated measurements $Z_{n,\text{ass}} = \bigcup_j Z_n^{(j)}$.
- The set of remaining measurements $Z_{n,\text{non-ass}} = \bigcup_j Z_n^{(j)}$ which are not associated to VAs of $A_n$.

B. State Space and Measurement Model

The distance estimates for all anchors $Z_n$ are stacked in the EKF’s measurement input vector. These measurements are modeled as

$$ z_n = \begin{bmatrix} ..., d(p_{n,k}^{(j)}, p_n), \ldots \end{bmatrix}^T + n_{z,n}, p_{k,n}^{(j)} \in A_{n,\text{ass}}. \tag{12} $$

The cardinality of the VA set $A_{n,\text{ass}}$ is defined as $K_n = \sum_j K_n^{(j)}$. The vector $n_{z,n}$ contains Gaussian measurement
noise with covariance matrix $R_n$. The choice of $R_n$ depends on the amount of prior information and will be explained in Section III-C.

The tracking of the agent is done as in [17] using an extended Kalman filter (EKF) with DA. We choose a simple linear Gaussian constant-velocity motion model for the agent state

$$x_n = F x_{n-1} + G n_{a,n,}$$

(13)

The state vector of the agent is $x_n = [p_n, v_n]^T$, and $\Delta T$ is the update rate. The driving acceleration noise term $n_{a,n}$ with zero mean and covariance matrix $\sigma_a^2$ models motion changes that deviate from the constant-velocity assumption.

To incorporate the discovered and associated VAs $A_{n,ass}$ into the state space, the model is extended to

$$\hat{x}_n = \bar{F}_n x_{n-1} + G_n n_{a,n}$$

(14)

$$= \begin{bmatrix} 1 & 0 & \Delta T & 0 \\ 0 & 1 & 0 & \Delta T \end{bmatrix} x_n + \begin{bmatrix} \frac{\Delta T^2}{2} & 0 \\ 0 & \frac{\Delta T^2}{2} \end{bmatrix} n_{a,n},$$

where $\hat{x}_n = [\hat{x}_n^T, \hat{z}_n^{T,n}, \ldots, \hat{z}_n^{T,n}]^T$ represents the stacked state vector, where $\{p_{i,n}\} \in A_{n,ass}$. The according measurement model is defined as

$$\hat{z}_n = \hat{H}_n \hat{x}_n + \tilde{\epsilon}_z, n, n,$$

(15)

where \(\bar{z}_n = [z_n^T, p^{T}_{2,n}, \ldots, p_{K,n}^{T,n}]^T\) is the stacked measurement vector. The vector $\hat{z}_n$ represents the set of measurements over time that have been associated with the $k$-th VA, where $\{p_{i,n}\}$ are used to improve the position estimate of the corresponding VA candidates and to resolve the ambiguity in their positions.

As soon as the position ambiguity is resolved, a new VA is initialized at position $p_{K+1,n}$, with covariance matrix $P_{K+1,n}$ and added to the geometry database. This new VA can be used in next time step.

Measurements that have not yet been associated with a VA candidate are comprised in $z_n$ and further grouped into vectors of similar delays $\{z_{g,n}^{T}, \ldots, z_{g,n}^{T,n}\}$, where $g_{k,n}$ represents the set of time-indices of delays associated with the $g$-th group. $G_n$ is the current number of groups. If the size of a group reaches a certain threshold, a new VA candidate is estimated with the grouped delays and according past agent positions.

Estimate new VA candidate pairs: In the case that a vector of similar group delays $z_{g,p_{k,n}}^{T,n}$ has reached a certain number of entries, a new VA candidate pair $p_{i,j}^{T}$ is estimated using the range Bankoff algorithm [18] and the according agent position $p_{i,k,n}$.

A reason for ambiguity in the position of a newly estimated VA is that the circles spanned by the measured delays around the according agent positions may intersect in two points (e.g. due to agent movement on a straight line).

The online estimation is started once an initial window size of measurements is available for the respective newly detected VA. Until then, a default value $\sigma_{k,n}^{2}$ is assigned. The VA-filter block in Fig. 2 allows to exclude VAs with too unreliable position information, i.e. too large range standard deviation, from the DA, using a threshold value $\sigma_{k,n}^{2}$.

For a VA without associated measurements at time step $n$, the previous value of the estimated range variance is assigned.

D. Feature Detection: VA Discovery

The set of measurements $Z_{n,ass}$ that are not associated for the tracking phase described above is used for discovering new VAs. In principle, the channel information assisted SLAM algorithm tries to associate these measurements with candidates for new VAs at different stages. This process is illustrated in Figure 2 and is summarized in the following way:

- The potential subset $Z_{n,ass}$ of the non-associated measurements contains measurements that can be associated with already existing VA candidates $p_{i,j}^{T}$ with $k' = 1, \ldots, C_n$, which have not yet been estimated unambiguously\(^4\). These VA-candidate-associated measurements $\{z_{g,n}^{T}, \ldots, z_{g,n}^{T,n}\}$ are used to improve the position estimate of the corresponding VA candidates and to resolve the ambiguity in their positions.

- As soon as the position ambiguity is resolved, a new VA is initialized at position $p_{K+1,n}$, with covariance matrix $P_{K+1,n}$ and added to the geometry database. This new VA can be used in next time step.

- Measurements that have not yet been associated with a VA candidate are comprised in $Z_{n}$ and further grouped into vectors of similar delays $\{z_{g,n}^{T}, \ldots, z_{g,n}^{T,n}\}$, where $g_{k,n}$ represents the set of time-indices of delays associated with the $g$-th group. $G_n$ is the current number of groups. If the size of a group reaches a certain threshold, a new VA candidate is estimated with the grouped delays and according past agent positions.

\(^4\)A reason for ambiguity in the position of a newly estimated VA is that the circles spanned by the measured delays around the according agent positions may intersect in two points (e.g. due to agent movement on a straight line).

\(^5\)The symbol $K$ defines the number of all discovered VAs—until time instance $n$—that are stored in the geometry memory (see Figure 2).
positions $p_{r,n}$. A VA candidate pair $p_{c}^{\text{ca}} = \{p_{c}^{1,\text{ca}}, p_{c}^{2,\text{ca}}\}$ is given by the two possible solutions of the range Bancroft method.

**Tracking of VA candidate pairs:** Already found VA candidate pairs $P_{c}^{\text{ca}}$ are then updated with a recursive least square (RLS) algorithm using the new associated measurements $\{z_{g,1,n}^{\text{ca}}\}$ and the currently estimated agent position $p_{n}$ until the above described ambiguities are resolved.

**Initialize new VA:** Resolved VAs are stored in the geometry memory and further used in the state space model. The last update of the RLS algorithm provides the initial position $p_{K+1,n}$ and covariance matrix $P_{K+1,K+1,n}$ of the newly found VA. The cross-covariance $P_{K+1,m,n}$ between the new VA and the agent position and the covariances $P_{K+1,K,n}$ between the new VA and all other VAs are initialized with zero matrices.

**IV. RESULTS**

For the evaluation of this SLAM approach, we use the seminar room scenario of the MeasureMINT database [19]. We use an agent trajectory as shown in Fig. 1, consisting of 220 points spaced by 5 cm. At each position, UWB measurements of the channel between the agent and the two anchors at the positions $p_{1}^{(1)}$ and $p_{2}^{(2)}$ are available. The measurements allow for 25 quasi-parallel trajectories, as in total $25 \times 220$ points have been measured at a 1 cm grid spacing [6], [7]. These measurements have been performed using an M-sequence correlated channel sounder developed by Ilmsens. This sounder
provides measurements over the whole FCC frequency range from $3.1 - 10.6$ GHz. Out of this range, we select the desired frequency band using filtering with a raised cosine pulse with a pulse duration $T_p = 0.5$ ns (corresponding to a bandwidth of $2$ GHz) at a center frequency of $f_c = 7$ GHz.

Fig. 1 shows the final result of the tracking along the trajectory together with the obtained knowledge of the floor plan in terms of the detected VAs and their uncertainties. This is evaluated at the end of the tracking phase for trajectory run 25. Black squares indicate positions of geometrically calculated VAs up to order two. For many of the detected VAs, shown by red (Anchor 1) and blue (Anchor 2) plus markers, there is an underlying expected VA. This is especially the case for these VAs that have a small position variance, indicated by their standard deviation ellipses. The latter are enlarged by a factor of 30 for better visibility. Some detected VAs, e.g. the one at approximately $p = [-1.4, 13.4]^T$, correspond to VAs of order three, which are not shown in the plot. The dark crosses show those detected VAs whose range standard deviation exceeds the threshold of $\sigma_d,\text{max} = 6.23$ cm, corresponding to a SINR of 0 dB, c.f. (18) and (2). These are discarded from the tracking process. Some of the detected VAs do not correspond to any geometrically explainable positions, i.e. they represent clutter. This may correspond to scattering objects which are visible for a significant time span. These do not comply to the geometric model of VAs and will be mapped to erroneous positions. However, for many of these false detections, the variance in the position domain is large, in principle allowing for a treatment of these errors on a higher layer.

Fig. 3 shows CDFs of the position error of the agent. The grey curves represent the performance of the presented SLAM approach over the 25 individual trajectory runs. Only the two anchor positions $p^{(1)}_1$ and $p^{(2)}_1$ are used as prior knowledge. It can be seen that despite the fact that one run was diverging, the overall performance is excellent, i.e. 90% of the errors are within 4.4 cm. As a comparison, the black line shows the overall performance over the 25 runs using all VAs up to order three as prior knowledge. The expected visibility regions of these VAs are precomputed using geometrical ray-tracing and used in the prediction process to find the set of expected VAs [6], [7]. The corresponding VA positions are tracked using the EKF, and their range variances are estimated online based on the estimated positions of the agent. This provides a performance of 90% within 3.8 cm, i.e. only slightly better than for SLAM. We suspect that a reason for the good performance of the SLAM approach is that in the VA discovery process, many unreliable MPCs are not detected and thus do not impair the localization. In the case of a-priori known VAs, these MPCs will be associated to the signal features and may cause errors. Due to the variance tracking, they should be weighted down after some time, but until then, they influence the tracking. A deeper understanding of the influences as well as an analysis of more measurements to evaluate the significance of the difference is subject of ongoing research.

Fig. 4 contains the estimated standard deviations of the ranging to the selected VAs marked in Fig. 1. The default value assigned to newly detected VAs, 0.07 m, is shown (black line) as well as the threshold $\sigma_d,\text{max}$ that is used to select VAs to become candidates for the data association (grey line). As Fig. 4(a) and (b) show, the blackboard is nicely detectable and usable for tracking, both for Anchor 1 and 2. In the expected regions where the MPC should be invisible, the uncertainty raises, indicating the decrease in position information. For the door and window on the right side and Anchor 1, Fig. 4(c) shows that the corresponding uncertainty is very low. This is expected, as the door is made of metal and the window is metal coated. Interestingly, the estimation continues to yield good values also in the NLOS region. This means that in this region, still a measurement is associated to the discovered VA, otherwise only the previous value is reused. This is an indication of some uncertainty in the geometry, i.e. the reflection from the slightly displaced wall between door and window is associated to the measurement, leading to a VA merging these elements. For the left window and Anchor 2, the estimation is shown in Fig. 4(d). After the VA has been discovered, the variance is estimated well. In the NLOS region, only a few erroneous associations are made, mostly the previous values are used. As the VA becomes visible again, the estimation continues with low uncertainty values.

V. CONCLUSIONS AND OUTLOOK

We have presented a proof-of-concept of a SLAM approach that extracts geometry information from single-antenna UWB measurements. We show the general applicability of using information from specular MPCs for localization, without any prior floor plan information. The proposed channel information assisted SLAM algorithm is able to learn efficiently a feature-based representation of the environment using VAs, while tracking the agent position.
Fig. 4. Estimated standard deviations of the ranging to selected VAs, i.e. the synthetic signals in simplified environments. With this, it is respectively.

An important issue for future work is the consideration of synthetic signals in simplified environments. With this, it is easier to provide a ground truth for the geometry that should be learned by the SLAM algorithm. In this way, a more structured analysis of influence factors on the performance can be performed. Also, in the initialization of a VA candidate pair, the chosen method may not be optimal. In the case of closely-spaced agent positions, the measurement geometry is often bad, caused by multiple similar circles that do not clearly intersect. A more sophisticated initialization and tracking—using particle filtering and filters based on random finite set statistic—of the candidate positions may help here.

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